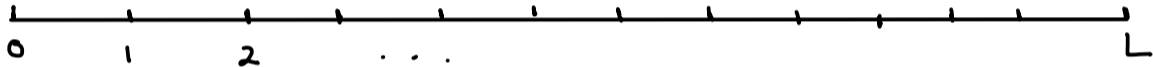


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Breaking a stick.



Each section $[i, i+1, \dots, j]$ has a value V_{ij} .

Problem: cut up stick to maximise total value

$f(l) = \max.$ obtainable from $0 \text{-----} l$

$$= \max_{0 \leq k < l} [V_{k,l} + f(k)] \quad f(0) = 0$$

Suppose we want stick cut into s pieces.

$$f_s(l) = \max_{s-1 \leq k < l} [V_{k,l} + f_{s-1}(k)]$$

Production problem with random demands.

Case 1: demand for the month known **after** choice of production level

$f_r(i)$ = minimum **expected** cost of proceeding $r, r+1, \dots$

$$= \min_x \left[C(x) + \sum_{d=0}^{\infty} P_r(d_r=d) \left(\underbrace{\pi(d-x-i)}_{\text{penalty for unmet demand}} + f_{r+1}(\min(H, x+i-d)) \right) \right]$$