Topics on MCMC and on Counting

(a) Hardness: [71], [70], [8].

(b) Mixing: [36], [63], [9], [13], [40], [49], [68].

(c) Volume: [26], [7], [20], [50], [42], [12], [46], [48], [61], [43].

(d) Permanent: [38].

(e) Linear Extensions of a Partial Order: [10].

(f) Contingency tables: [21], [55].

(g) Ising and Potts Models: [37], [31], [32], [60], [14].

(h) Hardness of approximation: [18], [65], [66], [56].

(i) Satisfiability: [44].

(j) Reliability: [41].

(k) Graph coloring: [35], [71], [22], [23], [24], [19], [54], [45], [34], [62], [11].

(l) Knapsack: [15], [67], [30].

(m) Deterministic Counting: [4], [72], [64], [57], [51], [47], [6], [27], [5], [52], [28].

(n) Matroids: [4], [17], [25], [29], [39], [1].

(o) Dense graphs: [2], [3], [18].

(p) Local Lemma and Counting: [33], [53].

(q) Coupling from the past: [59].

(r) Censoring Lemma: [58]

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