1: Find a nonhamiltonian graph $G$ with 10 vertices such that $G-v$ is hamiltonian for every vertex v of $G$.

2, Diestel 10.1: Show that every tournament contains a (directed) Hamilton path.

3: Let $G$ have $n>1$ vertices and $m$ edges. Prove that $G$ has a bipartite subgraph with at least

$$
\frac{2\left\lfloor n^{2} / 4\right\rfloor m}{n(n-1)}
$$

edges. (You should consider a random bipartition. . . but don't allow just any bipartition.)

4, Diestel 11.6:

## 5, Diestel 11.8:

## 6, Diestel 11.10:

